

A Study of Radio Telescopes
at Three Centimeters and One Meter

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CHAPTER I

INTRODUCTION

This thesis is the end result of the initial stages of the radio astronomy program at Saint Mary's University. The main objective of the project was to build a working radio telescope and to test some important properties of receiver systems for 3 centimeters and 1 meter. Also the feasibility of a 3 centimeter and 1 meter interferometer would be explored. The radio sun and its properties are described in Chapter II. Chapter III discusses the basic electronics and the development of the two receiver systems. Chapter IV describes the construction of a two-element transit interferometer operating at 3 centimeters. A discussion of sensitivity tests follows the construction phases. The unexpectedly low solar flux at 3 centimeters required that the effort of the thesis be turned to the 1 meter telescope system discussed in Chapter V, and this was used for several weeks of observations. Finally, Appendix C discusses the successful acquisition of fringes with a prototype 1 meter solar interferometer.

Chapter II

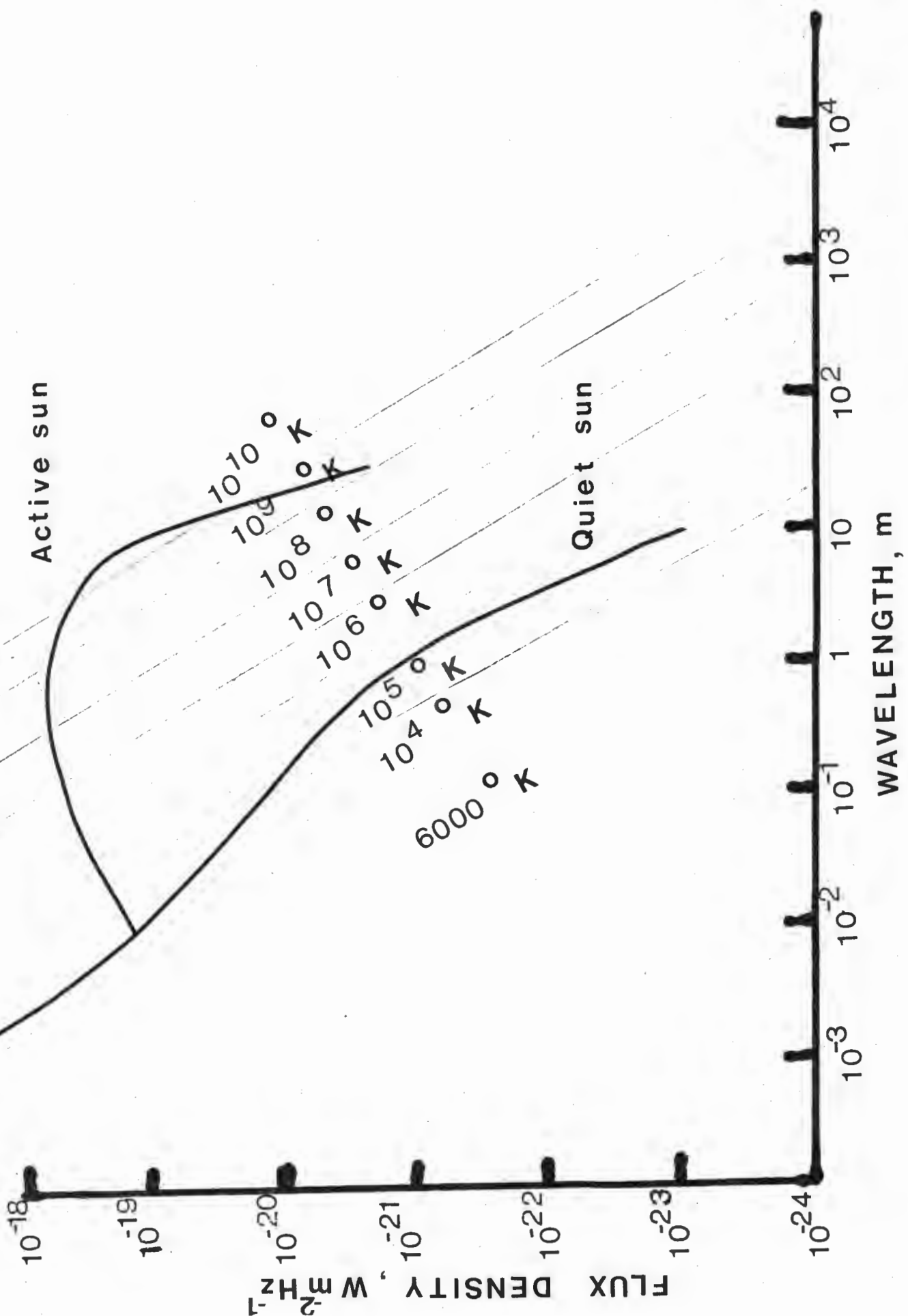
The Radio Sun

This chapter will summarize the solar radio properties that should be observable with the equipment available or under development at Saint Mary's University.

The radio spectrum extends from millimeter wavelengths to meter wavelengths and is quite broad in comparison to the visible spectrum. In Figure 2.1(Kraus, 1966), solar flux densities are plotted versus two extremes, the quiet sun and the active sun. The plot of flux density versus wavelength shows the sun is much brighter at centimeter wavelengths than at meter wavelengths. The radiation at centimeter wavelengths originates close to the photosphere and hence radio emission phenomena may be correlated with optical data. The outer corona is opaque to low frequency radiation and transparent to high frequency radiation, hence at a given frequency the radiation comes mostly from a layer located just above the critical layer. The frequency of the critical layer is a function of the square root of electron density. The electron density of the solar atmosphere decreases with height, so that the critical layer is close to the photosphere at the highest frequencies, but is high in the corona at the lower frequencies.

Figure 2.1

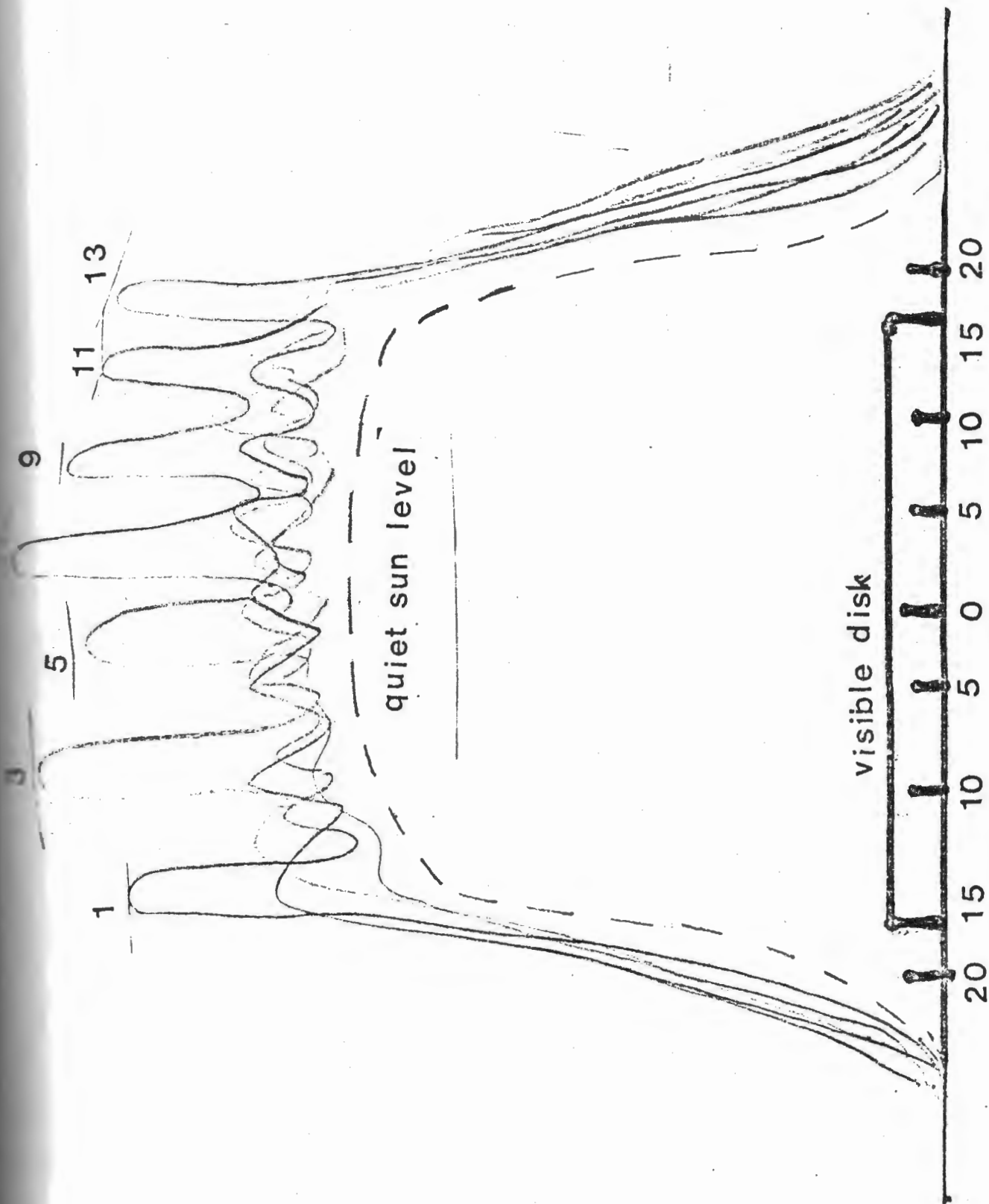
The solar spectrum from millimeter to meter wavelengths, plotted versus the flux density. Two extremes are plotted for the radio sun; the quiet sun and the active sun. This diagram is adapted from (Kraus, 1966). The solar flux density is equal to that from a blackbody radiator at 6000 °K at wavelengths less than 1 centimeter , but is greater than this at longer wavelengths. At radio wavelengths the radiation is between that of quiet- and active-sun curves. The straight lines give the flux density corresponding to blackbody radiators at various temperatures in degrees Kelvin.



The slowly varying component (or S-Component) of solar emission shows fluctuations with a timescale of days, weeks, or even months and is observed from about 3 to 60 centimeters (Kraus, 1966). A correlation has been found between sunspot regions and the S-component, (Kakinuma and Swarup, 1962). The flux levels for the quiet sun average around 5×10^{-20} Watts meters⁻² Hertz⁻¹ at 3 centimeters and 1×10^{-22} W m⁻² Hz⁻¹ at 1 meter (Allen, 1973). When observing the sun on a detailed interferogram tracing, the sun will appear at its quiet level with superimposed S-component regions occurring on top of this level as illustrated in Figure 2.2 (Steinberg and Lequeux, 1963). Brightness temperature scans of the sun's disk are shown for about one month. The capability to distinguish the S-component depends on the resolution of the interferometer. For beams that are larger than the sun's radio disk, the S-component will not appear. However, beams of the order of minutes of arc will resolve these regions as an intensity maximum on the quiet sun level, as with the 3 cm interferometer discussed in this thesis. (Numbers on the disk refer to day of observation). On day one the emission was observed to come from the limb of the sun, while on day seven, it is seen near the center and on day fifteen, it is on the opposite limb of the sun, carried by the sun's rotation. The variation in brightness temperature at several wavelengths is shown in Figures 2.3 and 2.4 (Gibson, 1973).

Figure 2.2

Brightness temperature scans taken with the Nançay interferometer with a resolution of about four minutes of arc. The lower envelope represents the contribution from the quiet sun with the S-component occurring on top of this level as followed at two day intervals. The figure is adapted from Steinberg and Lequeux (1963). The size of the visible disk is illustrated in comparison to the radio disk at 3 centimeters.



θ (arc minutes)

(The brightness temperature of any body is the temperature of a blackbody which would have the same monochromatic brightness at the frequency of observation.) Three effects are noticeable from Figures 2.3 and 2.4. First, as the wavelength increases to approximately two meters, the brightness temperature increases and limb brightening becomes pronounced. Secondly, as the wavelength increases beyond two meters, the brightness temperature decreases and a transition from limb brightening to limb darkening occurs. Finally, as the wavelength increases, the sun becomes larger and less well defined, regardless of optical thickness of the source . Because the source is both optically thick and located higher in the atmosphere, at longer wavelengths the increase in brightness temperature and limb brightening result from the positive temperature gradient. Beyond two meters , the decrease in brightness temperature is the result of the optical depth decreasing to values much less than unity. Even though the temperature increases with height in the atmosphere, the net result is a decrease in total emission of radiation. The sun is the strongest radio source in our sky, and because of the continuously changing radio emission, it is an intriguing object for observations.

Figure 2.3

Brightness temperature calculated as a function of R/R_{sun} at several wavelengths. This diagram is adapted from Gibson, 1973.

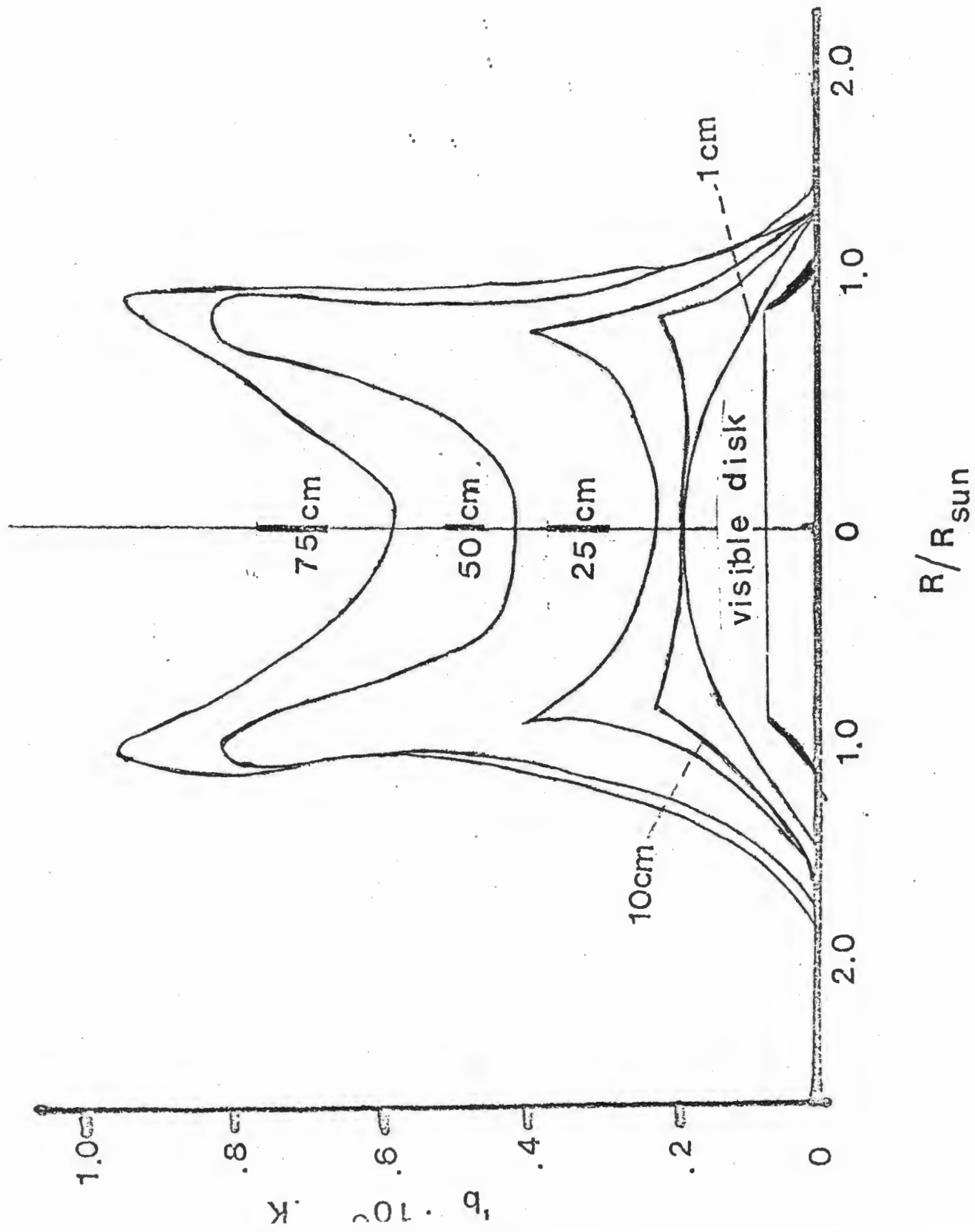
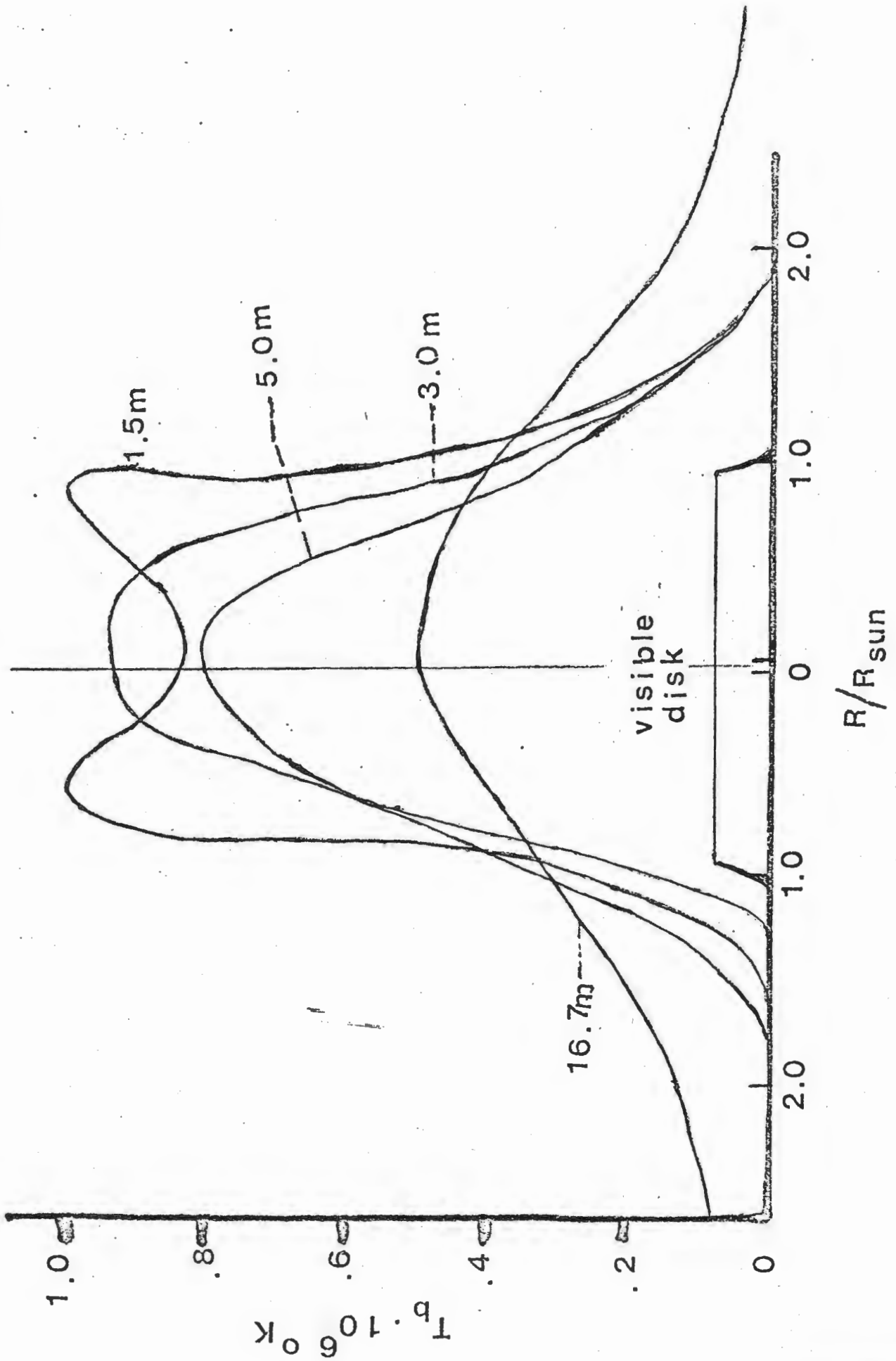


Figure 2.4
Brightness temperature calculated as a function of
 R/R_{sun} at several wavelengths. Adapted from Gibson,
1973.



Chapter III

Basic Electronics

The electronics used for both the 3 centimeter project and the 1 meter project employed similar techniques of design. The 1 meter electronics, however, had the added radio frequency(RF) pre-amplifier stage as is illustrated in Figure 3.1 by the broken lines.

From the antennas the 3 cm signal propagates up two approximately equal lengths of x-band waveguide to a receiver located midway between the two antennas. The signals from the two antennas are combined in a series tee-junction. A phase shifter was put into one line of the interferometer waveguide. The reason for doing this is to conveniently shift the main lobe in the beam pattern to the desired position so that it coincides with the axis of symmetry of the telescope. In other words, at transit it should appear that we have maximum constructive interference from the sun. If the main lobe has been shifted via the phase shifter to coincide with the axis of symmetry, this will occur. The phase shifter operates as follows: a dielectric wedge is inserted into the waveguide, and depending on the dielectric constant of the wedge and insertion depth, the propagation velocity of the wave is altered, hence the phase is shifted.

The receiver for both telescopes consisted of five main components: (1) the local oscillator;(2) the mixer;

(3) the intermediate frequency amplifier; (4) the demodulation circuit; and (5) the final output direct current (DC) amplifier and chart recorder. A block diagram of the receiver is shown in Figure 3.1.

The signal voltage enters the mixing stage along with a local oscillator voltage . The process is called superheterodyning and involves mixing the input RF signal with a frequency of the same order of magnitude from the local oscillator. One of the resultant voltages after mixing will have a frequency suitable for amplification in the IF stages.

Once the signal is amplified by the IF amplifier, it is still not suitable for driving a chart recorder directly because the signal oscillates between positive and negative voltages with a mean value at zero. By using a simple diode detector, suitably connected, the negative voltage excursions are clipped while the positive voltages are retained at full amplitude; therefore the measured mean value of voltage is no longer zero, but has some positive value.

The next stage of signal processing involves the DC amplification stage. The amplifier produces a DC output signal in response to a DC input. Direct current amplifiers are required when DC and very-low-frequency signals must be amplified as is the case here. At this stage , it is useful to discuss the noise in the system.

The types of noise are the solar and the random noise. The solar noise here is that part which we are trying to record on the chart paper. A problem exists, however, due to the random noise, resulting from external noise radiation, antenna system noise, or noise generated within the receiver itself. One cause of noise is thermal agitation caused by the random movement of electrons (DeFrance, 1966). This random movement of current through a resistor causes a random noise voltage V ($V=IR$, where I =current and R =resistance). As the temperature of the component is increased, the thermal agitation is increased and the noise voltage is increased. The noise effect, however, is distributed throughout the radio frequency spectrum, and so the amount of noise in the receiver is also dependent on the receiver's bandwidth. Expressed as the Nyquist formula: $E_n = \sqrt{4 \times K \times T \times R \times BW}$ where E_n = the effective value of the noise voltage due to thermal agitation.

K = Boltzmann's constant

T = the absolute temperature

R = the resistance of the component

BW = the receiver bandwidth

An ideal receiver will always have only that noise predicted by Nyquist. In comparing the performance of receivers with respect to noise, the term noise figure (NF) is used. The figure compares the ratio of the signal power to the noise power at the input (S_1/N_1), to the

signal-to-noise power ratio at the output (S_o/N_o) (DeFrance, 1966).

$$NF = \frac{(S_1/N_1)}{(S_o/N_o)}$$

An ideal receiver (one that generates no noise) would have a noise figure of unity or 0 db.

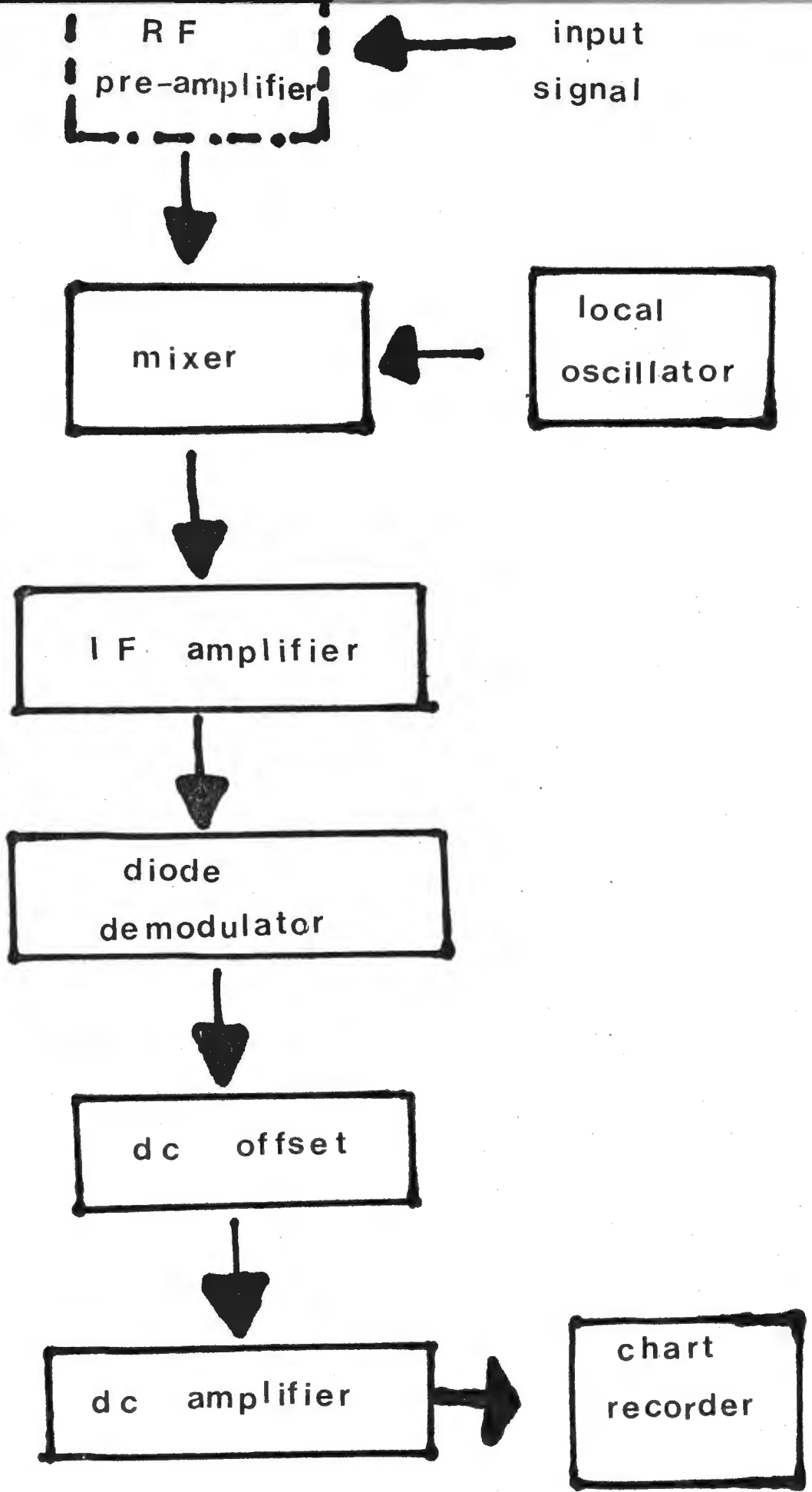
This random noise generated by the receiver will than show up as a deflection on the chart paper. When the antenna is turned to a source generating a signal which is only a fraction of the receiver noise, it will not be detected because it will be only a slight increment superimposed on the receiver noise. The referance level background noise may be shifted from the receiver by putting in a DC offset voltage of opposite polarity and amplifying the difference (which will be the small increment) through the DC amplifier (Wolf, 1973). The final output voltage, appearing on the chart recorder is some function of the signal voltage.

The electronics were assembled from available University supplies and mounted in watertight aluminum boxes to insure long life and temperature stability of the system. If the temperature of the receiver is not kept constant, a resultant voltage drift would occur at the output of the chart recroder. As a result, the background noise level on the recorder showed considerabl

drift. Future receivers should incorporate a temperature controller to alleviate this problem.

Figure 3.1

Block diagram of a typical receiver package.



Chapter IV

The Three Centimeter Telescope

This chapter deals with the design, construction and sensitivity measurements used to build the two-element interferometer on the north wing of the main administration building at the University.

4.1 Construction

The two - element transit interferometer may be separated into two components: (1) the antennas and (2) the supporting structures associated with the antennas.

The Antennas: The antennas used for this project were sheet metal paraboloids operating at 10,000 MHz, salvaged from a telephone microwave relay system. The paraboloids are 2.44m in diameter, with the focus occurring at 95cm along the optical axis. The feed system support was constructed from three angle iron(dexion) braces and fastened to the paraboloid periphery. Two of the braces for the feed were positioned 180° apart, with the third brace spaced half - way in between the other two, for maximum support.

The feed itself was a small horn with flexible x-band waveguide connecting it to solid x-band guide which led out through the center of the antenna to the receiver package ,placed midway between the two antennas.

Supporting Structures: The supporting structures for these antennas were designed in A-frame shapes. Two wooden frames were built for each antenna. The dimensions were 3.5m on each side of the equilateral triangular A-frame. The height of the structure was 3.05m . This allowed the 2.44m antennas to be supported with a freely rotating axis. The axis of rotation was made from 10cm steel pipe supported by bearings at each A-frame. The antennas were fitted with a rectangular back plate made of 2x6 inch wood. Then steel plates were bolted to the back frame of the antennas with U-bolts.

To achieve the desired declination, a lead screw was attached to each antenna and to an aluminum beam bolted across the back of the A-frames. Once each of the antennas were finished, they were rolled into place on the north wing of the administration building to form a 16.8m baseline. A series of 1.5m square boxes were then built and securely fastened, end to end , from one frame to the other. A catwalk was then laid down and the waveguide from each antenna to the receiver package, installed on that catwalk. To prevent the least amount of motion, a framework of wood was extended to the parapet walls of the roof perpendicular to the baseline. This would prevent the baseline from moving any significant distance. The entire interferometer may be seen in Plate I.

Plate I

3cm interferometer located on an East-West baseline
on the roof at Saint Mary's University.



The alignment of the two-element interferometer on an East-West baseline was needed. With the use of a transit an approximate E-W line was established. The antennas were then positioned on this line. If the antennas were out of position on the baseline the transit of a celestial object would occur off the meridian. The North-South alignment was also important since an error on this axis would also cause the interference maxima and minima of the pattern to occur at unexpected times.

A declination scale was constructed of plywood and calibrated to within $\pm 0.30^\circ$ by use of a plywood wedge and a spirit level. The required pointing accuracy for a wavelength of 3cm and antennas of 16.8m separation is about ± 9 minutes of arc. Therefore some type of optical alignment system is needed, with the required accuracy to insure both antennas are pointed at the same co-ordinate in space.

4.2 Sensitivity Measurements

One important goal in building a radio telescope is to achieve adequate sensitivity. For the 3cm interferometer a sensitivity was required to enable observations of the quiet sun.

First it will be useful to describe the theory used in the discussion of this chapter. The general formula used to determine the power present at the antenna feed is $P = \Delta B A S$.

P = the total received power in watts.

ΔB = the bandpass of the receiver in Hz.

A= the collecting area of the antenna in m^2 .

S= the flux density of the source in $Wm^{-2}Hz^{-1}$.

In testing the receiver, the available power from the quiet sun at 3cm was calculated based on average flux density(Allen,1973). A 35% efficiency of the antenna and a 50% efficiency for the polarization of the feed were assumed(Silver,1964). Hence the final power expected from the sun was:

$$P = \Delta B A S \times \text{efficiency}$$

The bandpass (ΔB) of the receiver is 3.6 MHz, as may be seen in Plate II. The collecting area(A) was $4.6m^2$ and the flux density assumed was $5 \times 10^{-20} Wm^{-2}Hz^{-1}$ (Allen, 1973). Therefore, the expected power is $P = 1.6 \times 10^{-13} W$.

Since the 3cm signal generator was calibrated in dbm (decibels referenced to one milliwatt), a conversion to dbm is made, for $P = 1.6 \times 10^{-10} mw$. The general form of the conversion is:

$$db = 10 \log \frac{P_{out}}{P_{in}} = 10 \log \frac{(1.6 \times 10^{-10})}{(1 \text{ mw})} = -98 \text{ dbm.}$$

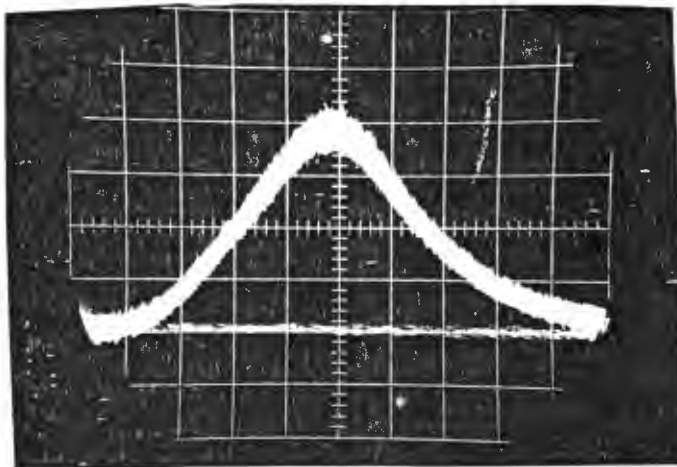
Expressing the signal in microvolts we use $V = \sqrt{PR}$, where R is the impedance of the line (50 ohms) :

$$\therefore V = \sqrt{PR} = 2.8 \mu V.$$

The losses in the waveguide amounted to about 2db for each line. The expected losses are 0.5db/line(Adam,1969). The added 1.5db/line was probably due mainly to dirt and water that would attenuate the signal. This loss

Plate II

Sweep generator test done on the 3cm receiver using the HP 8601-A Generator/Sweeper with a Tektronix Type RM503 oscilloscope. The grids on the plate are 1cm^2 . The curve is a plot of receiver response versus frequency, which determines the bandpass at half-power.



CALIBRATION - 1 MHz/cm

BANDPASS - 3.6 MHz

could be lowered by cleaning the waveguide, coating it with silver or filling the waveguide with an inert gas, but these were not feasible at the time of this project. Hence to detect the sun at 3 cm with these antennas, the receiver had to be sensitive to -100dbm. (This assumes a nominal solar flux of $5 \times 10^{-20} \text{ Wm}^{-2} \text{ Hz}^{-1}$ and the antenna efficiency of 35% in addition to the 50% loss in gain due to polarization of the feed).

At this point in the project a series of tests were used to further evaluate the sensitivity of the system as a whole. The first test involved gain comparison with a smaller antenna to see if the 2.44m antenna had the expected advantage over a 0.6m antenna. The 0.6m antenna was a military quality paraboloid with installed dipole feed and reflector of high quality so that a relatively high efficiency was assumed. Installation of the 3 cm feed horn had raised some doubts about the efficiency of the larger antenna. To perform the test, a calibrated attenuator (0 to 30 db) was connected to the output of a test generator (TS-738A/UPM-11A). The attenuator was set to 0db for the small antenna at a known distance $R=32\text{m}$. A reading of 10 units was recorded on a simple receiver consisting of a crystal detector and meter. The generator was then pointed to the larger antenna at the same distance and the attenuator was adjusted to achieve the same reading

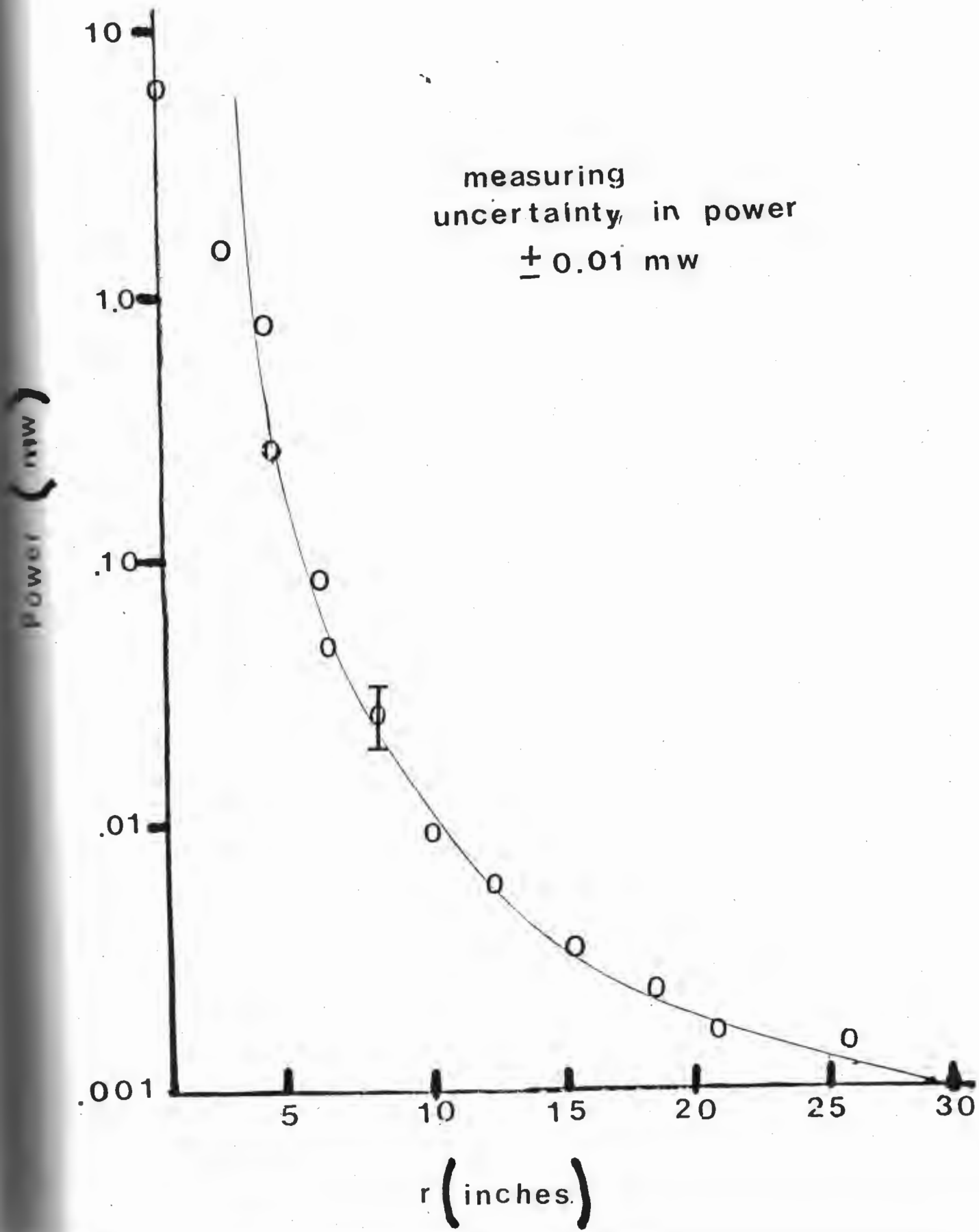
of 10 units at the crystal detector. The gain was recorded as 8db over the smaller antenna, compared to an expected gain of 12db based on the collecting areas of the antennas. Therefore it was established that a 4db loss was associated with : (1) the imperfections in the parabolic surface, and/or (2) the alignment of the feed on the geometrical axis of the antenna. Most of the loss was probably due to the feed alignment problems. At 3 cm the alignment was found to be very critical. The theoretically calculated tolerance for feeds of this wavelength is about 1 cm along the geometrical axis, for the change in efficiency of the antenna to be 50% (Silver, 1964, Christiansen and Hogbom, 1969). Therefore, adjustment of the feed at the focus was found to be a major task. Another factor which contributes to loss in gain is the feed tilt, with respect to the geometrical axis. A feed tilt of 7 beamwidths gives a loss in gain of 50%, or 3 db (Silver, 1964). In the case of the antenna and wavelength used here, the beam is 42 minutes of arc, hence a tilt of only 4.2 degrees would give a 3 db loss.

A second experiment involved a laboratory demonstration of the dilution of radiation from one horn as seen by the second horn some distance away. This dilution is an important step in evaluating the sensitivity of the entire system. The HP-430B power meter and bolometer were used as measuring devices. The results are shown

plotted in Figure 4.1. The data were fitted with a least squares power law and the results for the exponent were 2.01 ± 0.05 . The error in measuring the power was $\pm 0.01\text{mw}$ and this is the major contribution in the exponent error of 0.05. Therefore, it is concluded that the radiation falls off as an inverse square power relation with distance. By placing the signal generator (TS-147B/UP; calibrated from -40 to -85dbm) at a known distance from the antenna, and by knowing the dilution of radiation, a flux equivalent to that of the sun may be simulated. The gain of the small antenna used for this experiment was a factor of 21db above the small horn used in the laboratory dilution experiment. Hence by using the dilution factor based on the inverse square law, then subtracting the gain introduced because of the different collecting areas of the antenna and horn, we may assess the losses incurred over that distance. The generator may then be set at a desired calibrated output to simulate the flux of the sun. For example, for a distance of 6.45m the expected dilution from the signal generator and horn will be -48db. The gain of the small radar antenna over the horn is 21db. Therefore the dilution factor for that distance will be -27db. By setting the dilution factor level, the solar flux may be simulated. This information was used later to test

Figure 4.1

The inverse r^2 law, used to calculate the dilution of radiation over a distance of known separation.



the antenna/receiver system with flux equivalent to that of the sun.

Finally, recent solar flux measurements were obtained from the Herzberg Institute of the National Research Council in Ottawa. At the time those measurements were made (week of June 1, 1976) the solar flux was about 66 solar flux units (S.F.U.) at cm wavelengths. (One S.F.U. is equal to $10^{-22} \text{ Wm}^{-2} \text{ Hz}^{-1}$). All power calculations had been based on 500 S.F.U. Therefore for a level of 66 S.F.U. the level of power would be down another factor of 8db.

Hence from the original power calculations and taking into account the present solar flux, the power expected at the receiver would be -108 dbm.

In conclusion, the present level of the quiet sun produces -108 dbm with this antenna system. Our available equipment was sensitive to -107 dbm. Although the normal quiet sun radiation would be detectable with this system, the 66 S.F.U. radiation would be marginally detectable with the equipment at hand. Two factors will enable future observations : (a) the solar flux will increase steadily, and (b) new low-noise receivers can be built, using a Dicke switch or a low-noise mixer.

Chapter V

The One Meter Telescope

The next project was to study the sun at a longer wavelength. This chapter gives a brief outline of the construction of the one meter telescope along with sensitivity experiments performed on the receiver system that led to the detection of a signal from the sun. The last section discusses the method of observation and data reduction used.

5.1 Construction

The one meter radio telescope was built using a 2.44m parabolic antenna mounted with the one meter dipole as may be seen in Plate III. The antenna was mounted on a rectangular wooden frame and bolted on to an altitude-azimuth mounting on the roof at the University. The electronics package, Plate IV, was mounted in weather-tight boxes which were placed on the pedestal with the paraboloid as may be seen from Plate V. The platform on which the pedestal was mounted was stabilized with heavy wooden beams and the telescope pedestal itself was mounted on two steel beams.

5.2 Sensitivity Measurements

In the process of studying the 1m system several sensitivity tests were carried out. First, the expected power was calculated. The receiver had an IF bandwidth

Plate III

Altitude-Azimuth mounted one meter radio telescope with dipole feed at the focus of the antenna. The metallic rod above the dipole feed is called the reflector. It is used to increase the gain of the antenna.



Plate IV

The one meter electronics package is shown containing the converter unit (combined mixer and local oscillator) in the upper right. This is Vanguard Labs Model 407A modified for 60 MHz IF. In the middle of the photo is the RF pre-amplifier. This is Danel Labs Model PB with a gain of 18db and a noise figure less than 3db. At the bottom right is the demodulator circuit. The four sections of IF amplification appear on the left of the package.

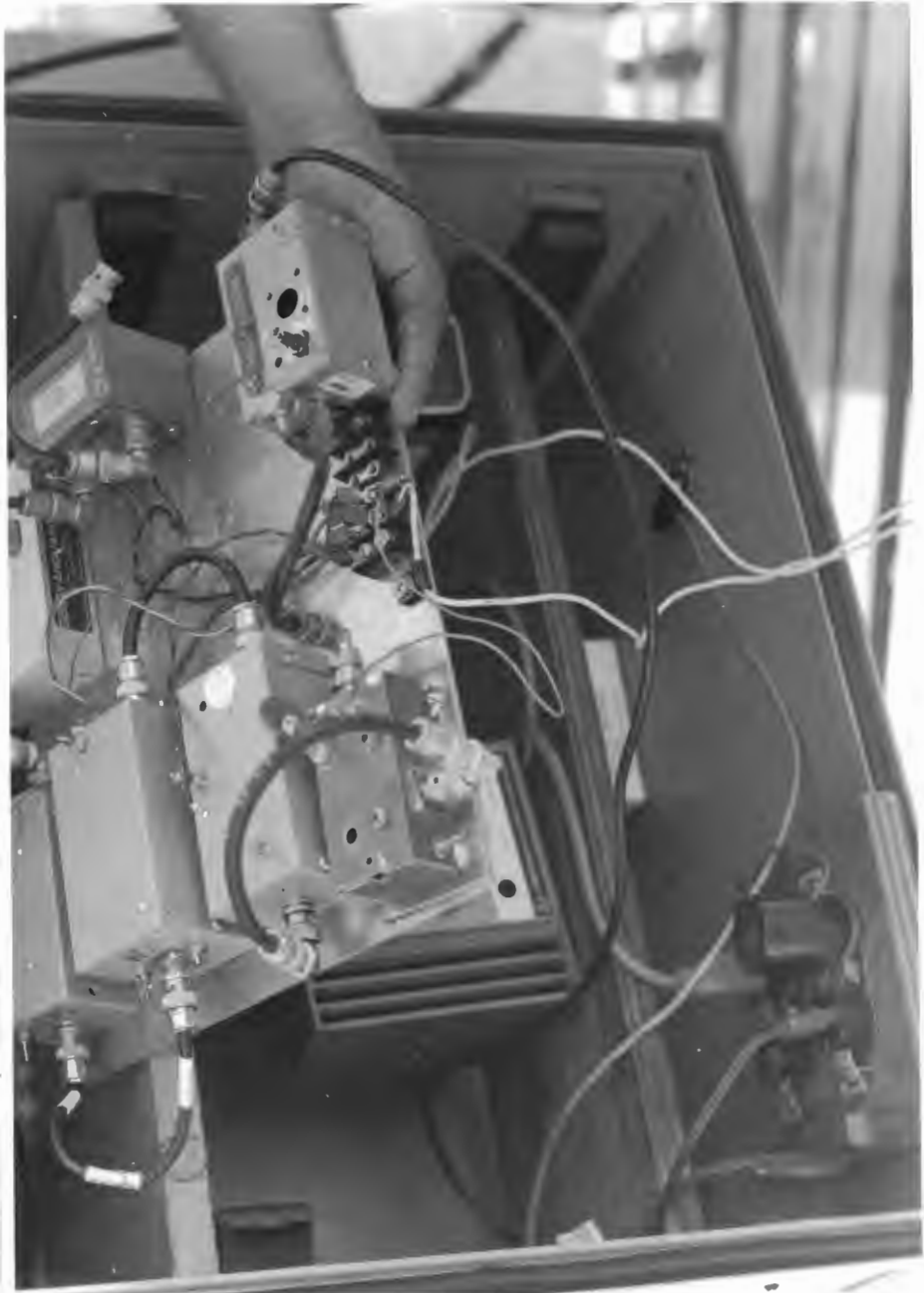
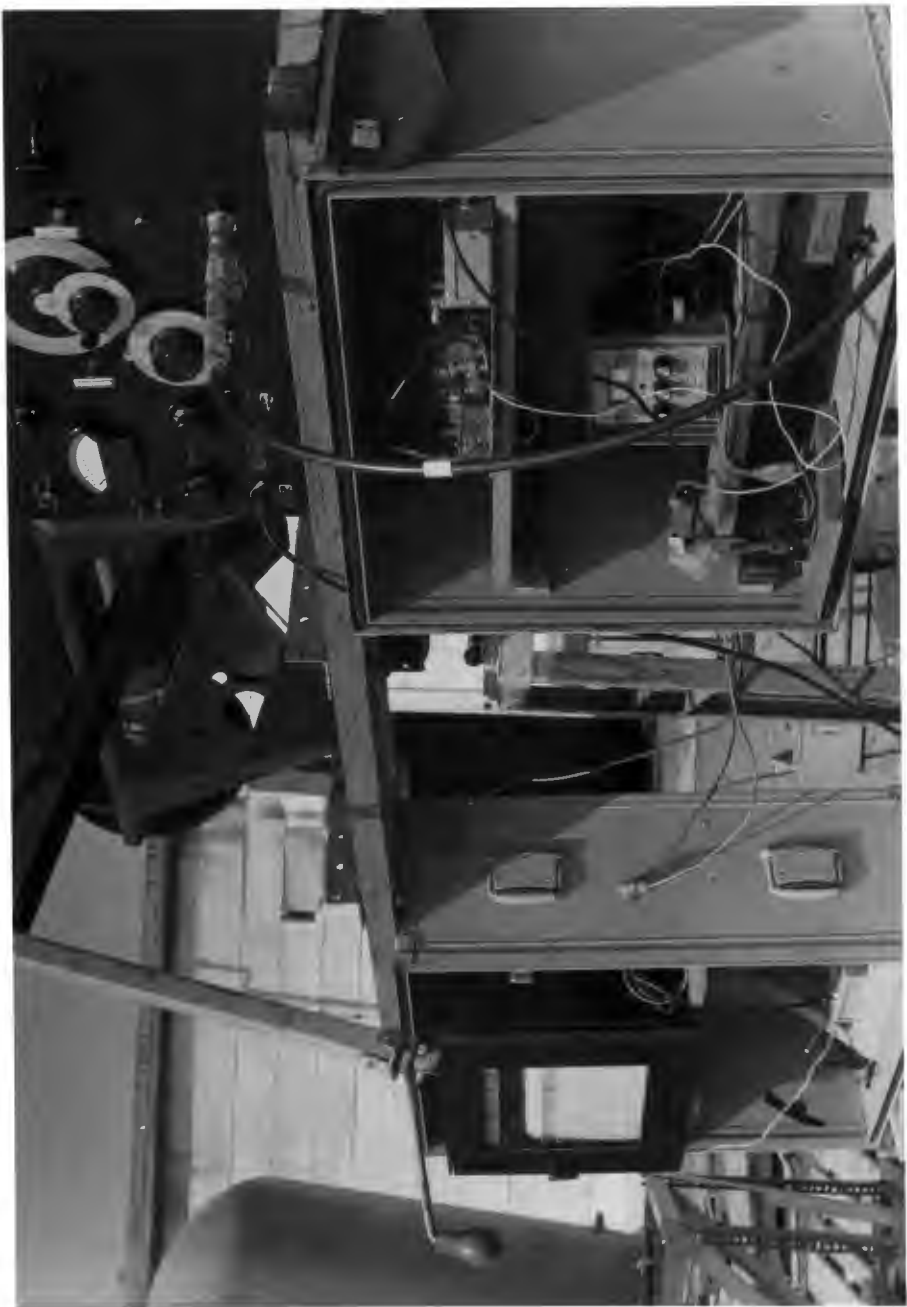


Plate V

One meter electronics showing the chart recorder in the left box at the top with the DC offset at the bottom. On the right hand side we see the receiver section, while on the top reclines the signal generator.



of $\Delta B=3\text{MHz}$, derived from the sweep signal shown in Plate VI. The area of the antenna is 4.6m^2 and the nominal flux density from the quiet sun is approximately $1 \times 10^{-22} \text{Wm}^{-2} \text{Hz}^{-1}$ (Allen, 1973). Therefore the expected power is $P=2.4 \times 10^{-16} \text{W}$, which is -126dbm or $.10\mu\text{V}$. (We assume here a 50% efficiency due to the polarization of the feed and a 35% efficiency of the antenna.)

The first sensitivity test performed was to simply connect a signal generator (Type 1021-A, General Radio Company) to determine the minimal detectable signal level on the chart recorder. The receiver was found to be sensitive to $.08\mu\text{V}$ for a detectable deflection on the chart recorder. All sweep tests were performed with the Telonic 1205-Sweep Generator and Tektronix Type RM503 oscilloscope.

The dipole feed of the antenna was then connected to the receiver package and the one meter solar signal was acquired. An observing run was initiated to record daily radio emission from the sun at one meter.

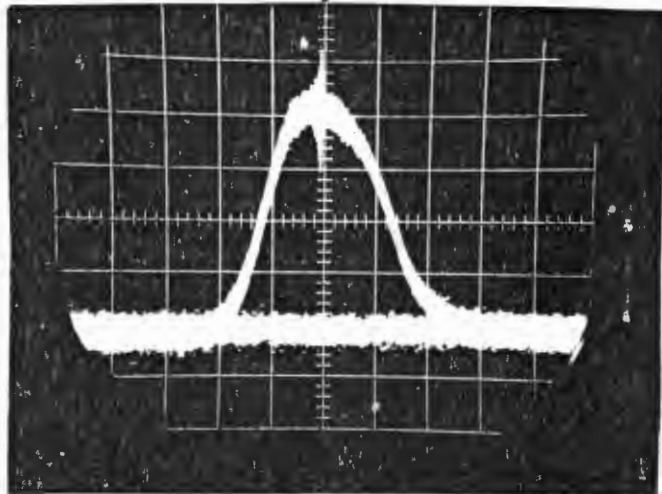
5.3 Observations

The observations took place over a two week period at the end of June, 1976. First a beam pattern was plotted with the telescope. This was done by moving the telescope through the sun by small increments in azimuth. The intensity (in arbitrary units normalized to one) was

Plate VI

One meter receiver sweep test using Telonic Model 1205 sweep generator in combination with Tektronix Type RM 503 oscilloscope. The grid is 1 cm^2 . The curve is a plot of receiver response verses frequency and allows the measurement of the bandpass at half power. The marker shows the frequency of the maximum response of the receiver(253 MHz).

MARKER



CALIBRATION

1.2 MHz/cm

BANDPASS

3 MHz

plotted verses azimuthal angle. The theoretical resolution or Half Power Beam Width (HPBW) is 27 degrees. The plot showed a HPBW(from Figure 5.3.1) of approximately 30° with an associated error due to the accuracy of the scale of $\pm 4^{\circ}$.

Observations were obtained twice daily. The equipment was turned on half an hour before the observation of the sun to allow it to stabilize. A series of scans was performed by rotating the antenna through the sun in azimuth once the altitude had been set for maximum signal input. The final output chart looked similar to that shown in Figure 5.3.2.a. This figure shows receiver output while observing the sun (in arbitrary units), as the antenna was turned through it. In each observing session a signal generator was used to calibrate the output voltage, as shown in Figure 5.3.2.b. The calibration was taken immediately after each observation.

5.4 Data Reduction

The data, as seen in Table I, were reduced as follows:

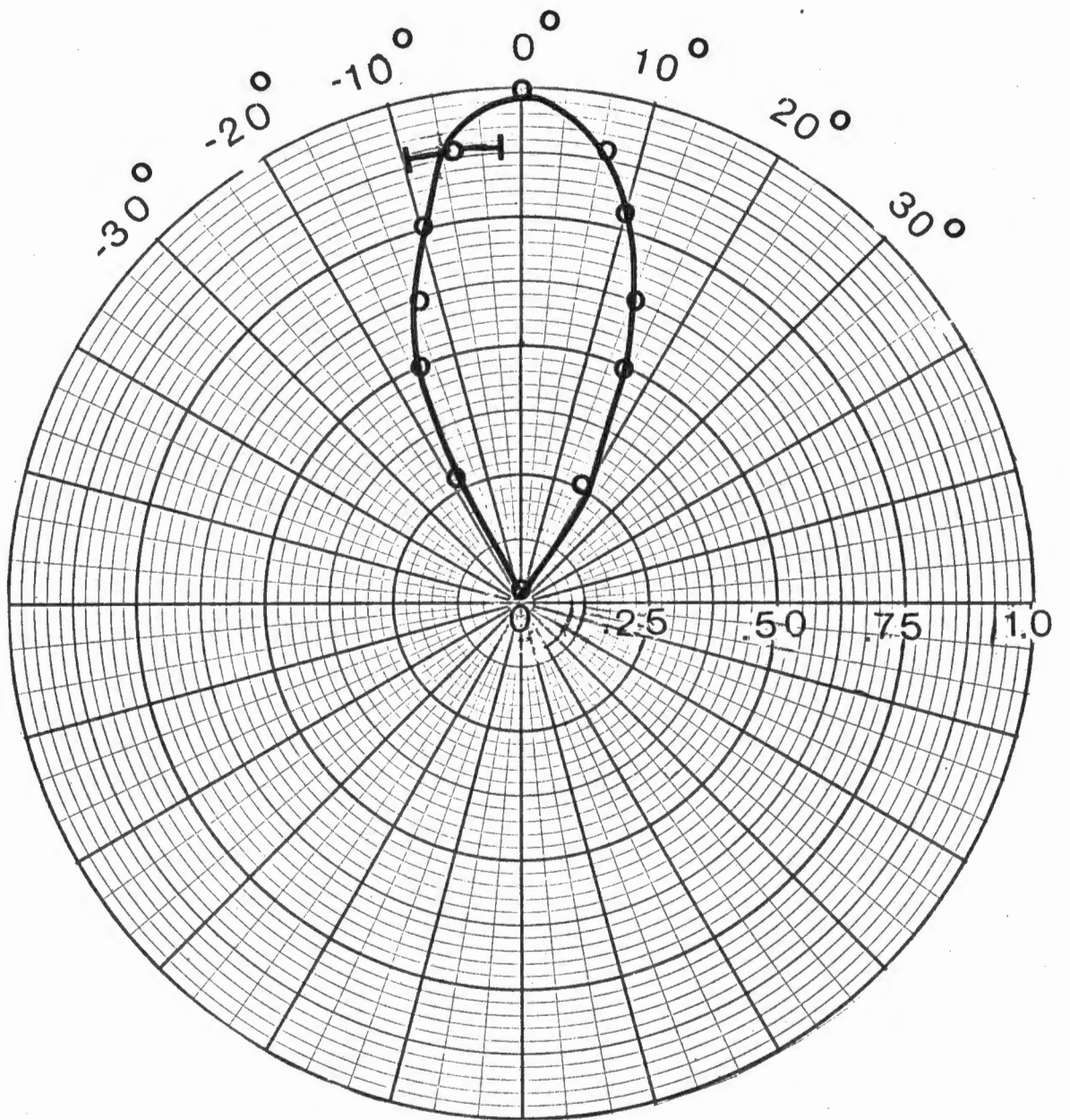
1. The time of the observation was recorded; 10:00 in the morning ADT(10M); 3:00 in the afternoon ADT(3A).
2. The date was recorded.
3. The weather was recorded: sunny(S); cloudy(C); rain(R).

Calibration:

1. The number of units on the output chart paper were

Figure 5.3.1

Beam pattern of the one meter telescope as built up by intensity scans of the sun. The intensity is in arbitrary units normalized to one, while the azimuth angle is in degrees. An uncertainty of $\pm 4^\circ$ is associated with the measurements.



**NORMALIZED
INTENSITY**

Figure 5.3.2.a

Output from chart recorder for a single observing session as telescope was scanned through the sun several times. The encircled numbers indicated the number of units of the peak from the baseline level. Each set of observations took about five minutes. Three scans were averaged to obtain \bar{x}_{sun} for each observing run.

Figure 5.3.2.b

Output from chart recorder for the signal generator (Type 1021-A) showing the calibration voltages. The encircled numbers indicate the number of units of the peak from the baseline level. The baseline level changed slightly due to the temperature instability of the receiver which caused a drift on the chart recorder.

FIGURE 5.3.2.a

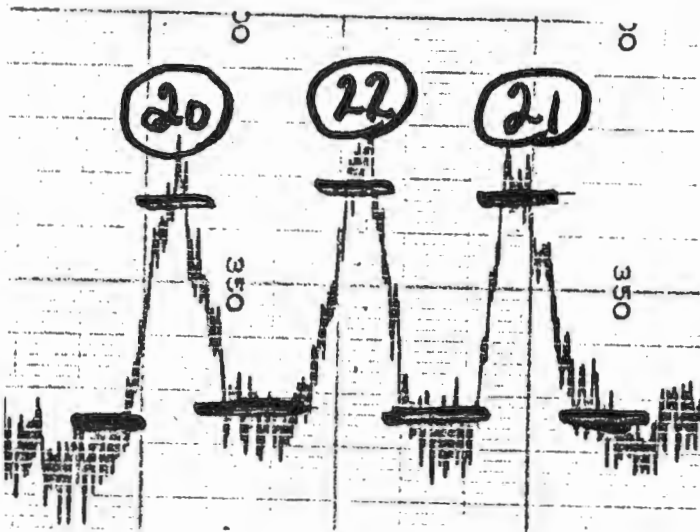
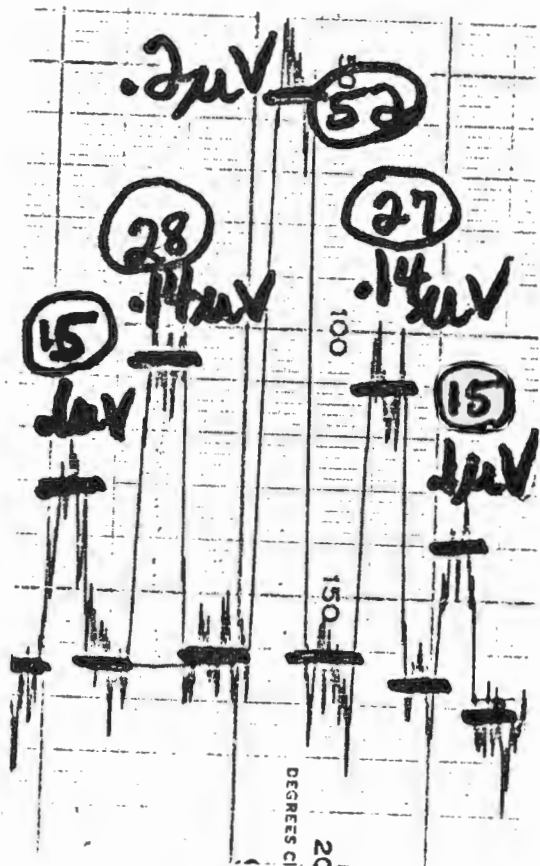


FIGURE 5.3.2.b



counted for each of the generator signal outputs. The noise level was averaged at the baseline and at the peak intensity points by eye. The units were then counted for $0.1\mu\text{V}$, $0.14\mu\text{V}$, and $0.20\mu\text{V}$ for the first 19 observations. These appear in the data table as $X_{0.10}$, $X_{0.14}$, and $X_{0.20}$. For the last 7 observations a larger number of calibration points were used so a better fit of the data could be established. They appear in the data table as $X_{0.10}$, $X_{0.12}$, $X_{0.14}$, $X_{0.16}$, $X_{0.18}$, $X_{0.20}$.

2. These last 7 observations, with 6 calibration points each, were then used to transform from chart reading to a signal voltage in microvolts. A linear least squares fit was attempted, but this procedure was rejected in favor of a freehand curve which fit the data more precisely. (See Figure 5.3.3).

3. Three intensity scans of the sun were averaged for each observation and the mean value labelled \bar{x}_{sun} in Table I.

4. The quantity \bar{x}_{sun} was transformed to microvolts (μV) using the calibration curve shown in Figure 5.3.3. Hence for each value of \bar{x}_{sun} a value of Y_{sun} could be obtained. A sliding fit of the calibration curve was used for the first 19 observations to give an accurate transformation to obtain Y_{sun} .

5. There are two sources of error in Y_{sun} . First, an error occurs due to the reading uncertainty from the

Table I

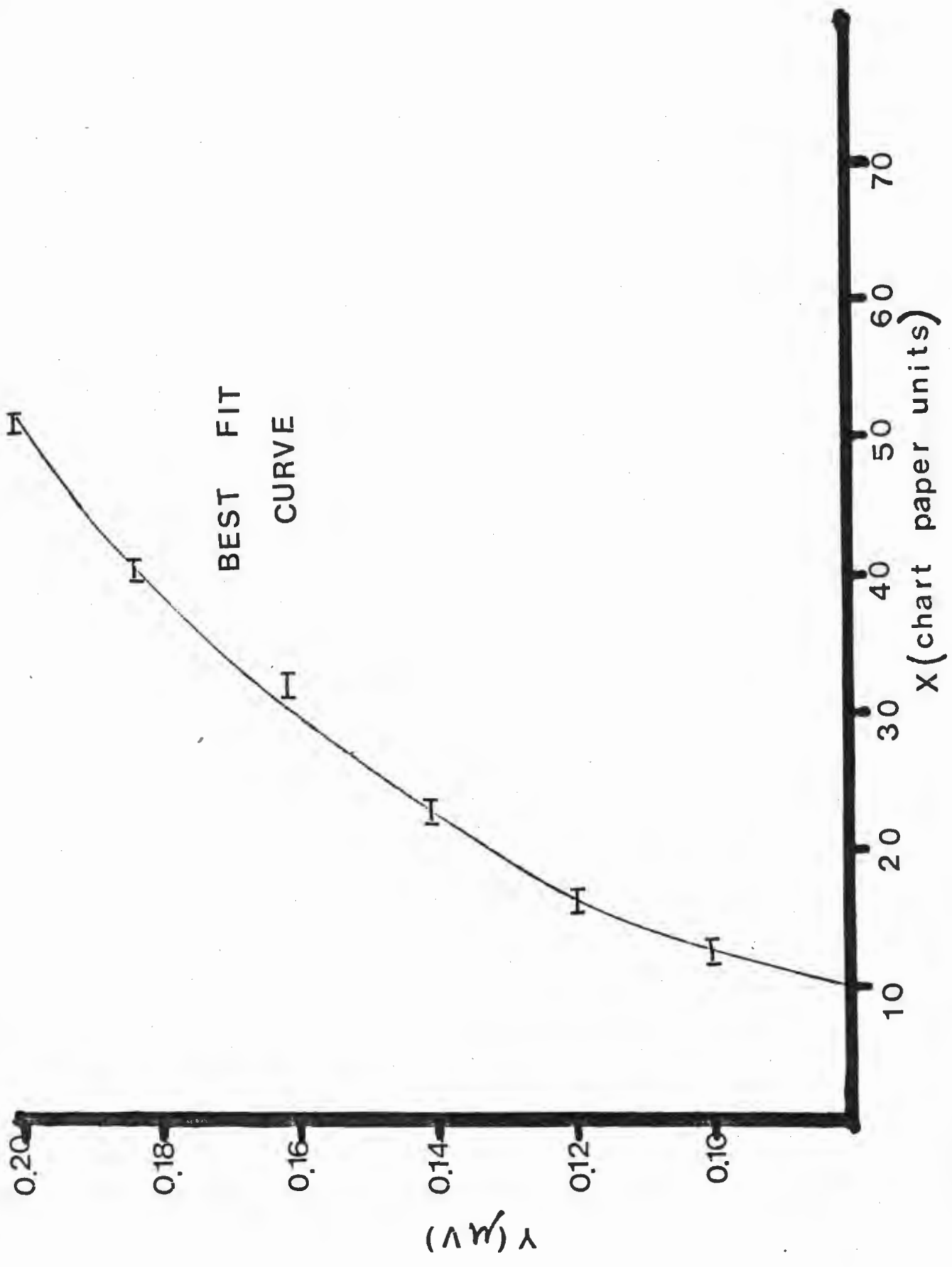
| Obervation | Time | Date | Weather | $X_{0.10}$ | $X_{0.14}$ | $X_{0.20}$ | \bar{x}_{sun} | Y_{sun} | $S \cdot 10^{-22} \text{Wm}^{-2} \text{Hz}^{-1}$ |
|------------|------|---------|---------|------------|------------|------------|------------------------|------------------|--|
| 1 | 10M | June 20 | C | 12 | 18 | 45 | 15 | .14 | 1.6 |
| 2 | 3A | 20 | S | 12 | 18 | 45 | 15 | .14 | 1.6 |
| 3 | 10M | 21 | C | 12 | 18 | 44 | 18 | .14 | 1.6 |
| 4 | 3A | 21 | S | 12 | 20 | 43 | 22 | .14 | 1.6 |
| 5 | 10M | 22 | C | 13 | 23 | 43 | 28 | .15 | 1.8 |
| 6 | 3A | 22 | C | 11 | 19 | 42 | 24 | .15 | 1.8 |
| 7 | 10M | 23 | C | 12 | 22 | 45 | 22 | .14 | 1.6 |
| 8 | 3A | 23 | S | 13 | 21 | 43 | 23 | .14 | 1.6 |
| 9 | 10M | 24 | S | 12 | 18 | 41 | 20 | .14 | 1.6 |
| 10 | 3A | 24 | S | 11 | 21 | 44 | 19 | .14 | 1.6 |
| 11 | 10M | 25 | S | 13 | 21 | 42 | 22 | .14 | 1.6 |
| 12 | 3A | 25 | C | 12 | 22 | 42 | 23 | .14 | 1.6 |
| 13 | 10M | 27 | C | 15 | 28 | 52 | 27 | .14 | 1.6 |
| 14 | 3A | 27 | C | 15 | 28 | 52 | 27 | .14 | 1.6 |
| 15 | 10M | 28 | C | 13 | 27 | 50 | 23 | .14 | 1.6 |
| 16 | 3A | 28 | S | 13 | 24 | 49 | 28 | .14 | 1.6 |

| Observation | Time | Date | Weather | $X_{0.10}$ | $X_{0.14}$ | $X_{0.20}$ | \bar{x}_{sun} | Y_{sun} | $S \cdot 10^{-22} Wm^{-2} Hz^{-1}$ |
|-------------|------|------|---------|------------|------------|------------|-----------------|-----------|------------------------------------|
| 17 | 10M | 29 | C | 15 | 25 | 55 | 28 | .14 | 1.6 |
| 18 | 3A | 29 | C | 12 | 25 | 50 | 25 | .14 | 1.6 |
| 19 | 9M | 30 | S | 13 | 22 | 52 | 27 | .15 | 1.8 |

| Observation | Time | Date | Weather | $X_{0.10}$ | $X_{0.12}$ | $X_{0.14}$ | $X_{0.16}$ | $X_{0.18}$ | $X_{0.20}$ | \bar{x}_{sun} | Y_{sun} | $S \cdot 10^{-22} Wm^{-2} Hz^{-1}$ |
|-------------|------|------|---------|------------|------------|------------|------------|------------|------------|-----------------|-----------|------------------------------------|
| 20 | 11M | 30 | S | 12 | 18 | 23 | 32 | 38 | 52 | 27 | .15 | 1.8 |
| 21 | 3A | 30 | S | 12 | 17 | 24 | 33 | 40 | 50 | 27 | .15 | 1.8 |
| 22 | 9M | Jy 1 | R | 12 | 16 | 22 | 32 | 37 | 49 | 23 | .14 | 1.6 |
| 23 | 11M | 1 | R | 12 | 16 | 23 | 34 | 38 | 51 | 23 | .14 | 1.6 |
| 24 | 9M | 2 | C | 13 | 16 | 25 | 33 | 39 | 53 | 25 | .15 | 1.8 |
| 25 | 11M | 2 | C | 13 | 16 | 25 | 34 | 39 | 53 | 25 | .15 | 1.8 |
| 26 | 3A | 2 | C | 11 | 15 | 23 | 32 | 38 | 52 | 25 | .15 | 1.8 |

Figure 5.3.3

The freehand curve fit used to calculate Y_{sun} , given \bar{x}_{sun} . The plot is the generator test voltages(Y) versus the number of units on the chart paper X . The error bars denote the standard deviation in the data at each Y test voltage.



output chart. This was estimated to be ± 2 units. The second is the uncertainty in fitting the data. The error due to the reading uncertainty is $\pm .008 \mu V$. The error due to the fitting procedure is $\pm .002 \mu V$, based on the free-hand fit of the curve. This gives a total error in Y_{sun} of $\pm .008 \mu V$.

6. Y_{sun} was then plotted versus the time of the observation. This is shown in Figure 5.4.3.

7. Next, the solar flux density was deduced from the formula:

$$S = \frac{V^2}{\Delta B \times \text{efficiency}}$$

where $V = Y_{\text{sun}}$

ΔB = bandpass

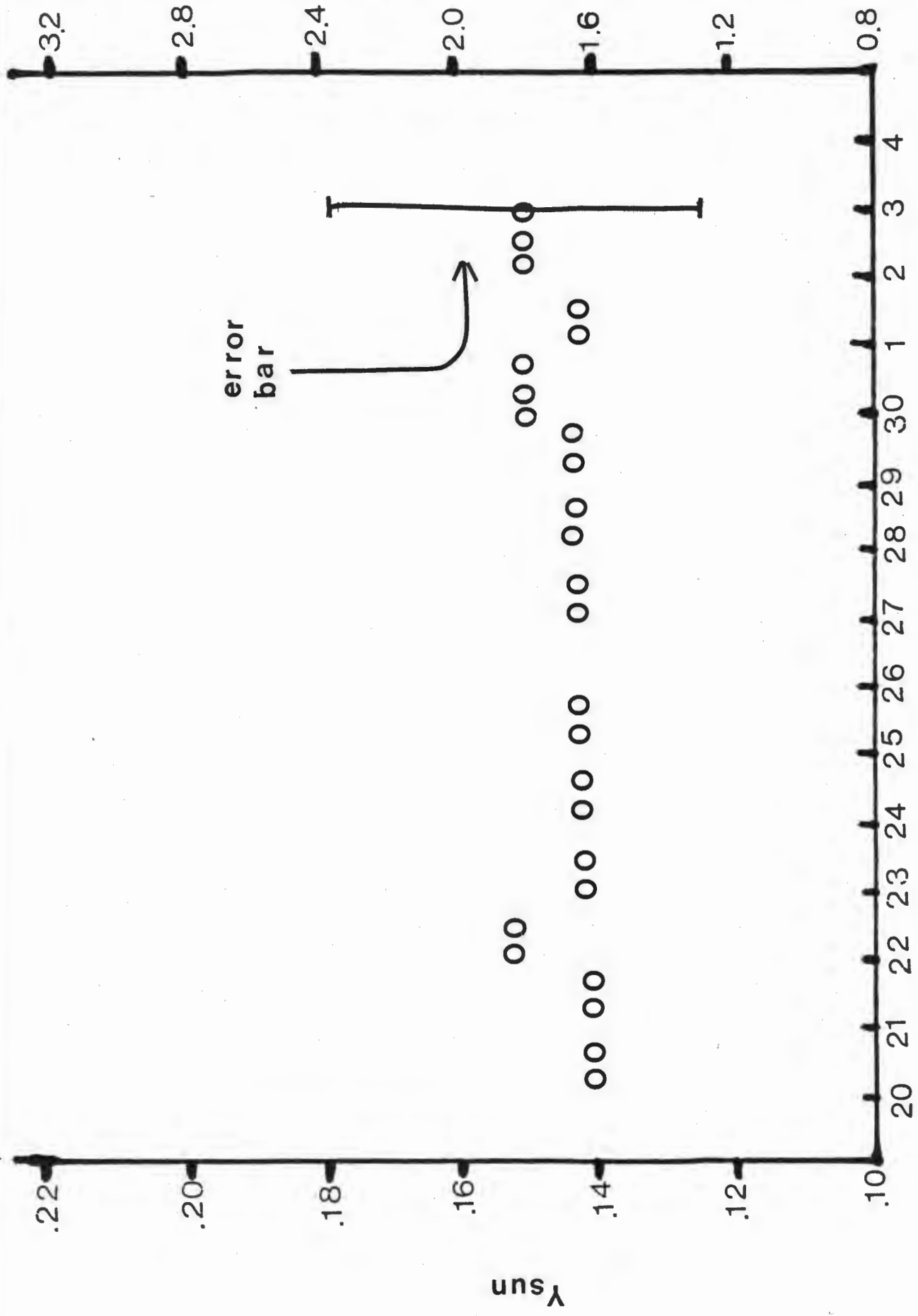
A = collecting area of the antenna

R = impedance of the line

The total error in S is due to the error in Y_{sun} of $\pm .008 \mu V$, the error in ΔB of ± 0.2 MHz, and the error in R of ± 5 ohms. This leads to an error in S of $\pm 0.50 \times 10^{-22} \text{ Wm}^{-2} \text{ Hz}^{-1}$. The solar flux density was then plotted on the right hand axis of Figure 5.4.3.

Figure 5.4.3

Plot of Y_{sun} versus time of observations for the 1m observing run. The flux density is also plotted on the right hand Y axis. Each time marking indicates 0^{h} ADT on the date of observation from June 20 to July 2. The error bar indicates an error in flux density of $\pm 0.5 \times 10^{-22} \text{ Wm}^{-2} \text{ Hz}^{-1}$.



TIME

CHAPTER VI

SUMMARY AND CONCLUSIONS

After studying the data it may be concluded that the one meter flux from the sun remained virtually constant (Figure 5.4.3) to within the uncertainties in the observations.

Unlike the solar flux at centimeter wavelengths, the one meter observations produced flux densities comparable to those expected for quiet sun levels. This could be due to the fact that the source of 1m radio emission presumably originates at a different height in the solar atmosphere.

In summary, future observations show promise of useful results at both 3 cm and 1 m. The problems encountered at 3 cm might still be a major task to overcome. The alignment of the feed on the geometrical axis of the antenna is very critical. The accurate alignment of the antennas on the baseline, as well as the pointing accuracy, will determine the success of receiving an interference pattern. The receiver would have to be sensitive to the expected flux levels.

The 3 cm project will be of more interest to astronomy students because of its ability to resolve radio features on the sun's disk. With the 16.8 m separation the 1 m interferometer will not have sufficient resolving power to accomplish this.

To facilitate useful interferometric observations

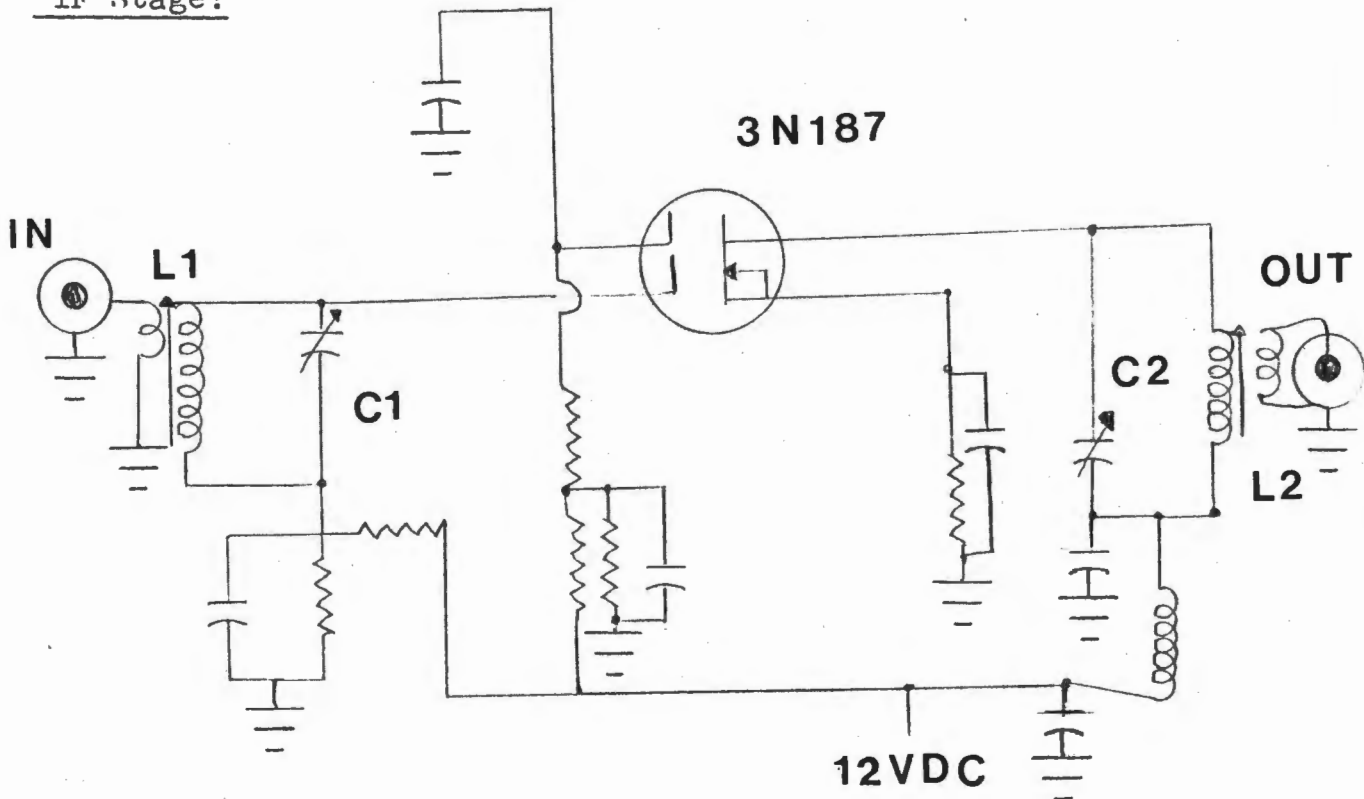
at 3cm from the sun the following recommondations are made:

1. a Dicke switch to improve the sensitivity and drift characteristics of the system;
2. a phase shifter to improve the symmetry;
3. thermal isolation of the electronics to eliminate the drift in the system;
4. a stable equatorial mounting capable of tracking the sun for an extended period of time;
5. a detailed study of horn alignment tolerances and their effect on overall sensitivity of the system.

Appendix A

Basic Electronics (Schematics)

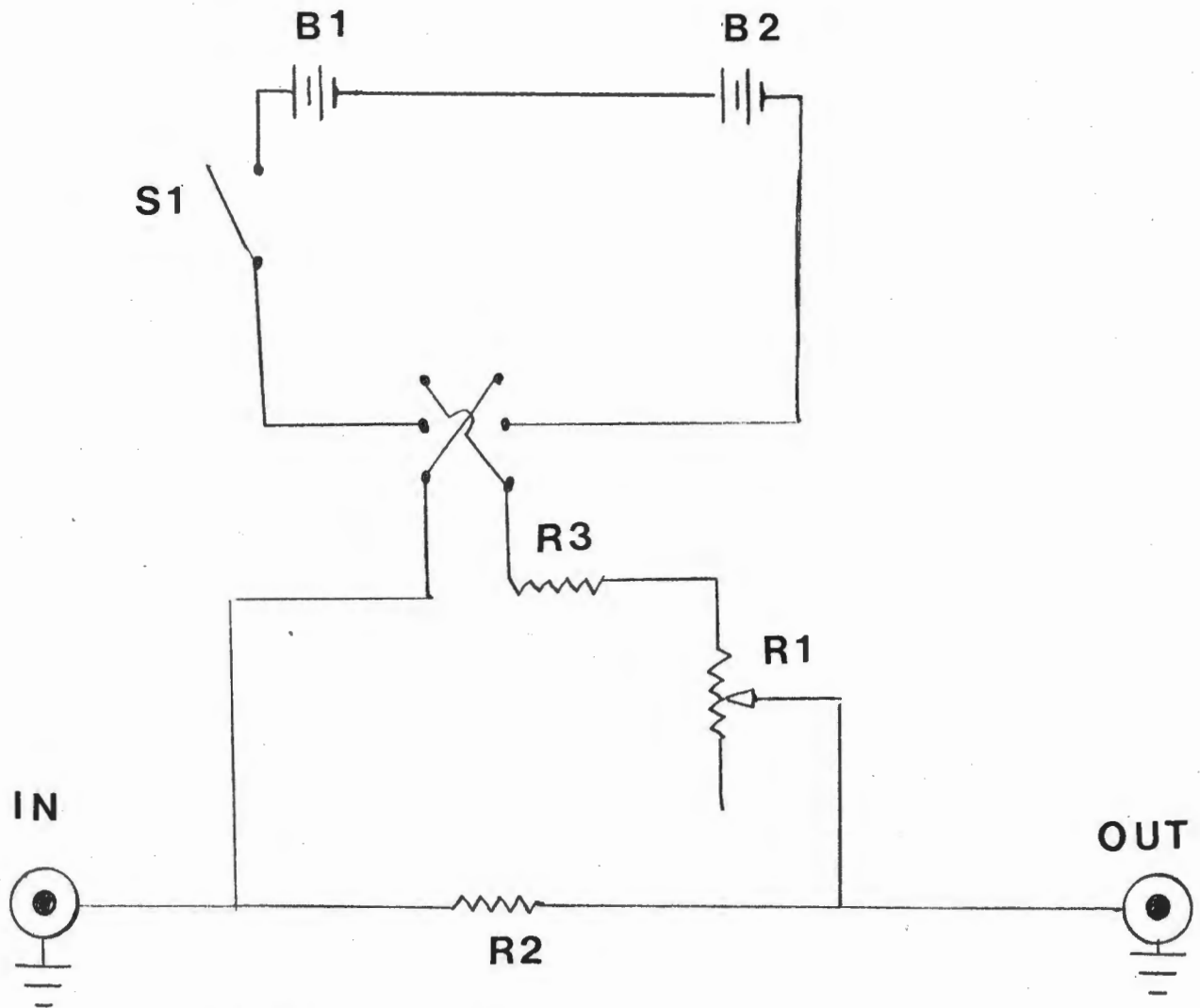
IF Stage:



Typical IF Stage (adapted from RCA Transistor, Thyristor and Diode Manual (1971), p.706)

L1, C1 and L2, C2 are resonant circuits which are tuned to produce the desired bandpass characteristics of the receiver.

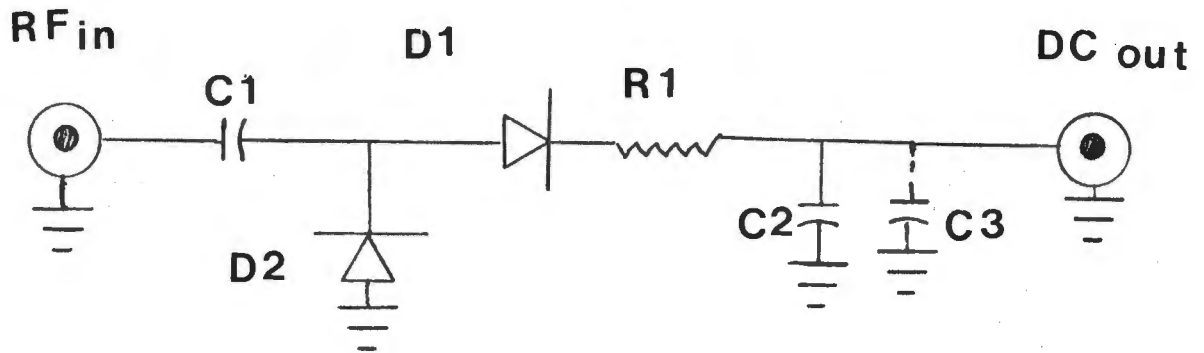
Offset Unit :



Offset Unit symbols :

- S1 - on-off switch
- S2 - polarity reversing switch
- B1, B2 - 8.4 volt mercury cells (Mallory TR-126)
- R1 - 50K ten-turn potentiometer
- R2 - 200 ohm, $\frac{1}{2}$ W
- R3 - 10K, $\frac{1}{2}$ W

Demodulator Circuit :



Symbols :

- D1, D2 - 1N34 (Germanium, point contact diodes)
- R1 - 50K, $\frac{1}{4}$ W
- C1 - 100 pf
- C2 - 100 pf
- C3 - cable capacitance

Appendix B

Test Equipment Specifications

I Canadian Forces Test Signal Generator Model

TS-147B/UP

(a) Frequency meter .

(1) Range : 8500 MHz to 9600 MHz

(2) Absolute Accuracy : ± 2.5 MHz at 25°C
and 60% relative humidity.

(b) Power meter (output test signals)

(1) Range : - 42 to - 85 dBm at RF receptacle

(2) Accuracy : ± 1.5 dB

II General Radio Company Type 1021-AU-UHF Test Signal Generator.

(a) Carrier frequency :

(1) Range : 250 MHz to 920 MHz in one band

(2) Accuracy : $\pm 1\%$

(b) Output voltage .

(1) Adjustable from 0.5 μ V to 1.0V, open circuit.

(2) Accuracy : $\pm 10\%$

III HP-430B Power meter

(1) Power range : .1-10.0 mw

(2) Accuracy : $\pm 5\%$ of full scale

IV Telonic Model 1205A Sweep Generator

(1) Frequency range : Band 1-(1-500 MHz)

(2) Sweep width : (200 KHz-500 MHz)

(3) RF output level = 0.5 Vrms

(4) Accuracy on frequency dial : ± 10 MHz

V HP - 8601A Sweep Generator

(a) Frequency Characteristics :

(1) High frequency range 1-110 MHz

(2) Accuracy : $\pm 1\%$ of frequency

(b) Output RF Characteristics :

(1) Level : +20 to -110 dBm

(2) Accuracy : ± 1 dB

VI Tektronix RM503 Oscilloscope :

(1) Sweep rate : 21 calibrated rates from
1 μ sec/cm to 5 sec/cm.

(2) Accuracy : $\pm 1\%$ of the sweep rate

Appendix C

Additional Observations Using the One Meter Interferometer

We now discuss some supplementary observations made using the 1m receiver along with the two-element interferometer. The purpose was to observe the sun for several days and verify the temporal occurrence of interference maxima and minima as well as their relative strengths.

Based on theory pertaining to a two-element interferometer, the observed times for maxima and minima follow from the formulae (Steinberg and Lequeux, 1963):

$$t_M = \text{time of } n\text{-th maxima} = \frac{\sin^{-1} n \lambda \times 4 \text{ minutes}}{L}$$

$$t_m = \text{time of } n\text{-th minima} = \frac{\sin^{-1} (n + \frac{1}{2}) \lambda \times 4 \text{ minutes}}{L}$$

$$\lambda = \text{wavelength of observation} = 1.14 \text{ m}$$

$$n = n\text{-th order term (i.e., } n=0, 1, 2, 3, 4, 5, \dots)$$

$$L = \text{length of baseline} = 16.8 \text{ m}$$

Based on these formulae and the fact that transit occurred at about 1:10 ADT on July 3-5, times were predicted for maxima and minima fringe amplitudes and these predicted times, along with averaged maxima and minima for three days observations, are shown in Table II.

From the comparison of maxima and minima it was concluded that the points lie close to the expected

data points. The errors in the times are most likely due to the slight differences in cable length from the antennas, and the azimuthal location of the antennas with respect to North and South. One antenna was inadvertently pointed slightly east of south about 2° , thus contributing to a phase shift. A typical scan, using the 1m interferometer is shown in Figure AI.

Table II

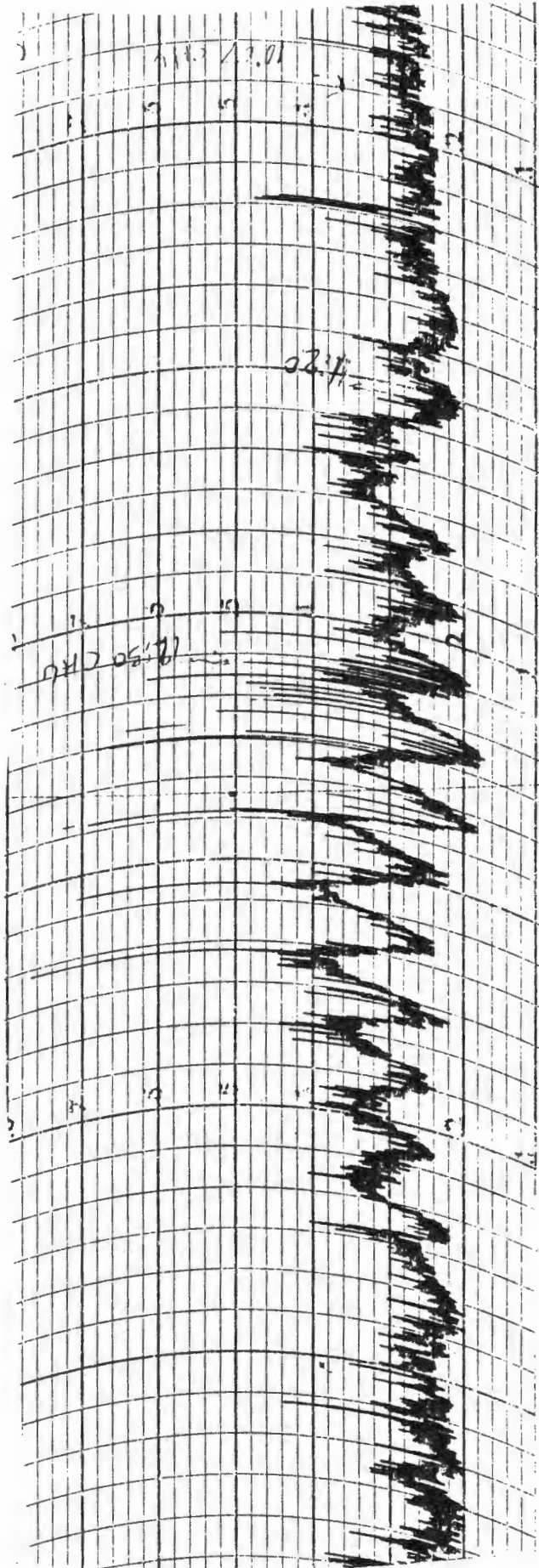
| <u>Expected Maxima</u> | <u>Observed Maxima[*]</u> |
|------------------------|------------------------------------|
| 12:38 | 12:33 |
| 12:54 | 12:49 |
| 1:10 | 1:03 |
| 1:26 | 1:24 |
| 1:42 | 1:42 |
| 1:58 | 1:58 |
| 2:14 | 2:13 |

| <u>Expected Minima</u> | <u>Observed Minima[*]</u> |
|------------------------|------------------------------------|
| 12:46 | 12:46 |
| 1:02 | 12:58 |
| 1:18 | 1:16 |
| 1:34 | 1:32 |
| 1:50 | 1:50 |
| 2:06 | 2:06 |

* Averaged results for three days.

Figure AI

Typical scan of the sun using the 1m interferometer.



TIME

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